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This month's "free sample" is:

**4096.** *Proposé par Abdilkadir Altıntaş.*

Soit  $ABC$  un triangle heptagonal,  $BC = a$ ,  $AC = b$  et  $AB = c$ . Soit  $CN$  la bissectrice de l'angle  $BCA$  et  $BM$  la médiane issue du sommet  $B$ ,  $N$  et  $M$  étant des points sur les côtés respectifs  $AB$  et  $AC$ . Soit  $K$  le point de Lemoine (point d'intersection des symédianes) du triangle  $ABC$ . Démontrer que les points  $N$ ,  $K$  et  $M$  sont alignés.

**4096.** *Proposed by Abdilkadir Altıntaş.*

Let  $ABC$  be a heptagonal triangle with  $BC = a$ ,  $AC = b$  and  $AB = c$ . Suppose  $CN$  is the internal angle bisector of  $\angle BCA$ ,  $BM$  is the median of triangle  $ABC$  and  $K$  is the symmedian point of  $ABC$ . Show that  $N$ ,  $K$  and  $M$  are collinear.

