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Norm-square localization for Hamiltonian LG-spaces

Let  $\psi: \mathcal{M} \to L\mathfrak{g}^*$  be a proper Hamiltonian LG-space. Dividing out by the free action of the based loop group  $L_0G$ , yields a finite dimensional quasi-Hamiltonian space  $\Phi: \mathcal{M} \to G$ . It is possible to define twisted Duistermaat-Heckman (DH) measures for  $(\mathcal{M}, \Phi)$ , which are distributions on G encoding cohomological pairings on reduced spaces. Similar to the Hamiltonian case, these can be computed using abelian localization. We will discuss an analogue of norm-square localization—as initiated by Witten and studied in depth by Paradan—for twisted DH-measures of quasi-Hamiltonian spaces, where the terms of the formula are indexed by the components of the critical set of  $||\psi||^2$ .