I will describe a refinement of the Ozsvath-Szabo contact invariant in Heegaard Floer theory, defined in joint work with Shea Vela-Vick. Our invariant assigns to a contact structure $\xi$ a number $t(\xi) \in \mathbb{Z}_{\geq 1} \cup \{\infty\}$, and extends Ozsvath-Szabo's invariant in the sense that $t(\xi) = \infty$ iff $c(\xi) \neq 0$. In addition, we prove that if $\xi$ is overtwisted, then $t(\xi) = 1$. Interestingly, $t$ appears to be a stronger invariant than $c$ in that there exist $\xi$ with $c(\xi) = 0$ but $t(\xi) > 1$. In this talk, I will focus on the construction of $t$ and its basic properties—in particular, its relationship to fractional Dehn twist coefficients.