MORTEZ MOHAMMAD-NOORI, Universite Paris XI; Bat. 490, LRI, Universite Paris XI, 91405 Orsay Cedex, France Dejean's conjecture and Sturmian words

Dejean conjectured that the repetition threshold of a $k$-letter alphabet is $k /(k-1), k \neq 3,4$. The history goes back to Thue's famous papers of 1906 and 1912. Values of the repetition threshold for $k<5$ were found by Thue, Dejean and Pansiot. Moulin-Ollagnier attacked Dejean's conjecture for $5 \leq k \leq 11$. Building on the work of Moulin-Ollagnier, here we propose a method to decide whether a given Sturmian word with quadratic slope validates the conjecture for a given $k$. We develop this method into a search algorithm for verifying the conjecture for a given $k$. An implementation of our algorithm gives suitable Sturmian words for $7 \leq k \leq 14$. Moreover, we prove that for $k=5$, no suitable Sturmian word exists.

