BRETT STEVENS, Carleton University, 1125 Colonel By Dr., Ottawa, ON, K1S 5B6 Octahedral Designs

An octahedral design of order $v$, or oc $v$, is a decomposition of all oriented triples on $v$ points into oriented octahedra. Hanani settled the existence of these designs in the unoriented case. We show that an oc $v$ exists if and only if $v \equiv 1,2,6(\bmod 8)$ (the admissible numbers), and moreover the constructed oc $v$ are indecomposble, i.e., the octahedra cannot be paired into mirror images. We show that an oc $v$ with a subdesign oc $u$ exists if and only if $v$ and $u$ are admissible and $v \geq u+4$.
This is joint work with Prof. V. Linek.

